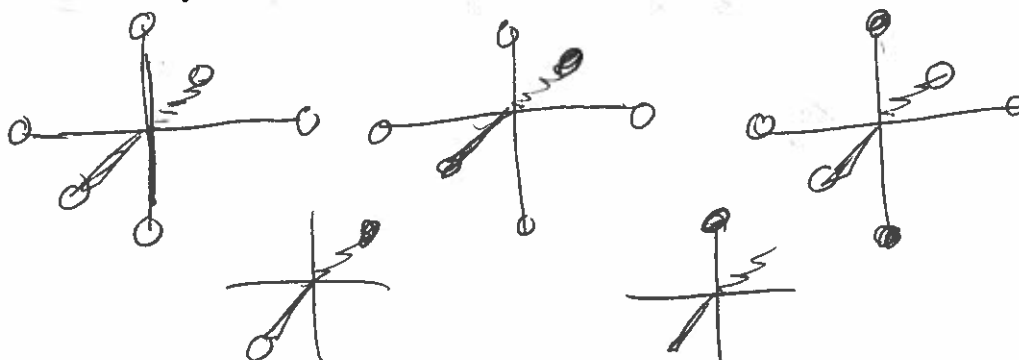
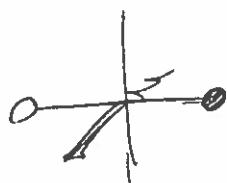
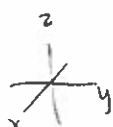


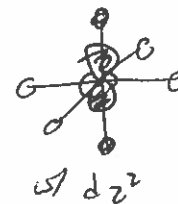
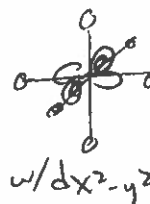
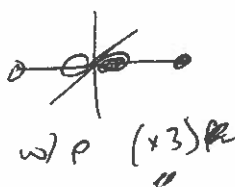
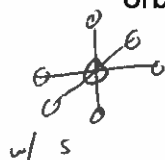
PLTL Worksheet #8: Bonding in Transition Metals

1. Review of SALCs

- a. Consider 6 s orbitals arranged in an octahedral geometry. Determine and draw for yourself the 6 SALCs that can be formed.



- b. Determine the ways in which these SALCs can interact with the d orbitals, s orbitals and p orbitals of the metal center



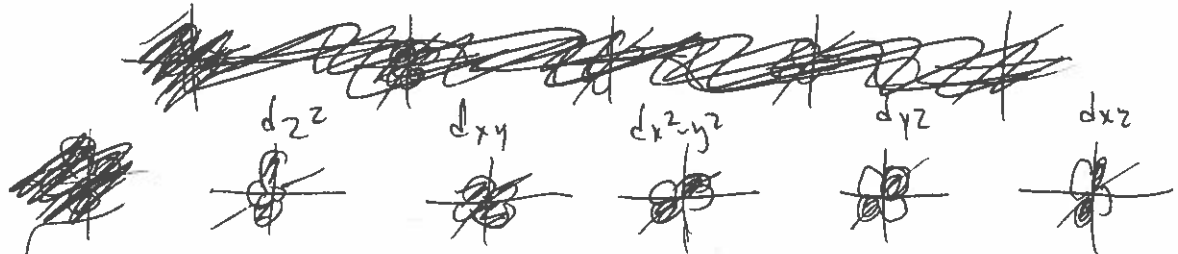
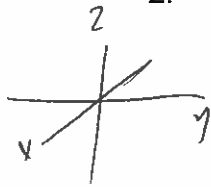
$d_{xy}, d_{yz},$
 d_{xz} or
 non
 bonding.

- c. Based on your drawings, derive the MO diagram (page 310 of your notes) for an octahedral complex with sigma donor ligands

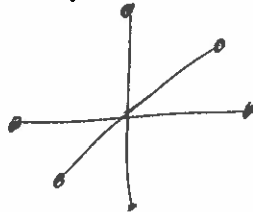
↓
 can still have
 the students
 draw it out
 to verify for
 themselves

2. CFT: d-orbital splitting for an octahedral complex

- a. To start draw the 5 d orbitals. Be sure to indicate your coordinate system!



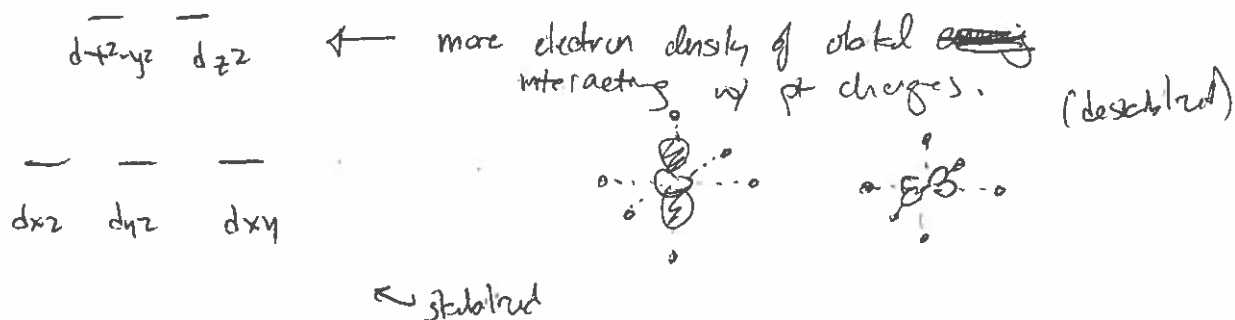
- b. Draw an arrangement of (negative) point charges in an octahedral geometry.



- c. Draw each d orbital inside of the 6 point charges.

Combine these two drawings.

- d. Picture these point charges moving closer and closer to the electron density of the d orbitals. Closer and better interaction of the point charges with the orbitals results in greater e⁻e⁻ repulsion, which is destabilizing. Based on that, which d orbitals would you expect to be destabilized? Stabilized?

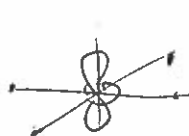
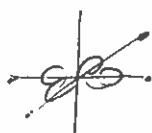
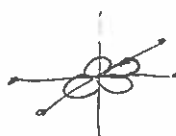


4. CFT: d-orbital splitting for a square planar complex

- a. Draw an arrangement of (negative) point charges in a square planar geometry.



- b. Draw each d orbital inside of the 4 point charges.

 dz^2  dx^2-y^2  dxy 

↗
not very
much interact

↑
most interact

↑
same interact
(more than dz^2)

- c. Picture these point charges moving closer and closer to the electron density of the d orbitals. Closer and better interaction of the point charges with the orbitals results in greater e-e repulsion, which is destabilizing. Based on that, which d orbitals would you expect to be destabilized? Stabilized?

— dx^2-y^2

— dxy

— dz^2

— dyz

— dxz

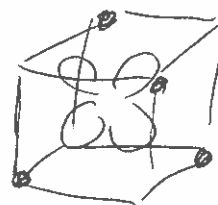
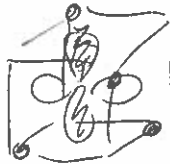
↖
same amount
of interact

3. CFT: d-orbital splitting for tetrahedral complex

a. Draw an arrangement of (negative) point charges in tetrahedral



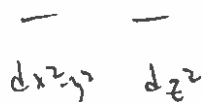
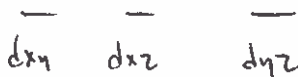
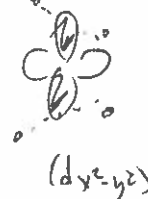
b. Draw each d orbital inside of the 4 point charges.

(note how tetrahedron would fit into a x, y, z coordinate

↑ picture it as a cube
w/ points in opposite
corners.

note the
difference
b/w $d_{x^2-y^2}$ and d_{xy}

c. Picture these point charges moving closer and closer to the electron density of the d orbitals. Closer and better interaction of the point charges with the orbitals results in greater e-e repulsion, which is destabilizing. Based on that, which d orbitals would you expect to be destabilized? Stabilized?

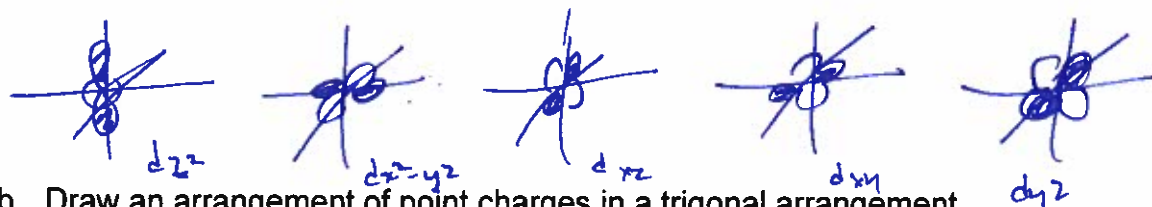


PLTL Worksheet #9: Bonding in Transition Metals

1. More CFT (d-orbital splitting of a trigonal complex)



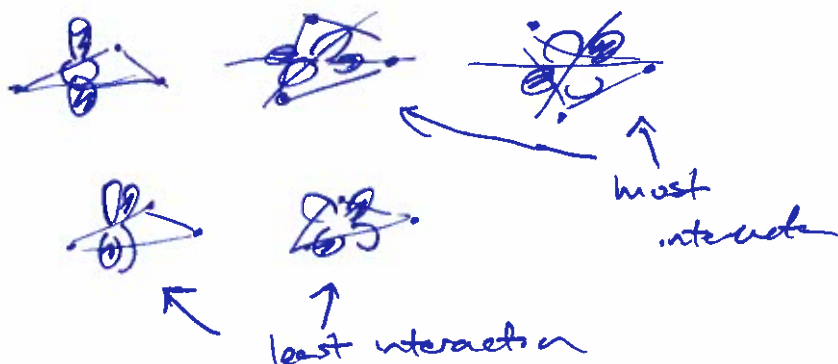
- a. To start, draw the 5 d-orbitals. Be sure to assign an consistent coordinate system!



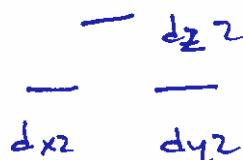
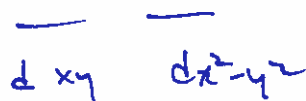
- b. Draw an arrangement of point charges in a trigonal arrangement



- c. Draw each d-orbital inside of the 3 point charges



- d. Imagine these point charges moving closer and closer to the electron density of the d orbitals. Which orbitals will be destabilized? Stabilized? Draw the relative energy levels of the orbitals.



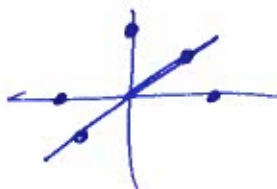
2. More CFT (d-orbital splitting of a square pyramidal complex)

- a. To start, draw the 5 d-orbitals. Be sure to assign an consistent coordinate system!

see previous



- b. Draw an arrangement of point charges in a ~~trigonal~~ ^{square pyramidal} arrangement



(put the points right along axis)

- c. Draw each d-orbital inside of the ~~5~~ point charges

- d. Imagine these point charges moving closer and closer to the electron density of the d orbitals. Which orbitals will be destabilized? Stabilized? Draw the relative energy levels of the orbitals.

— $d_{x^2-y^2}$

— d_{z^2}

— d_{xy}

— —
 d_{yz} d_{xz}

3. Ligand/Crystal Field Splitting Energy

a. Calculate the crystal/ligand field splitting energy for the following:

- i. d^1 $-2/5 \Delta_o$
- ii. d^3 $-6/5 \Delta_o$
- iii. LS d^5 $-10/5 \Delta_o$ H2P
- iv. HS d^5 $0 \Delta_o$
- v. d^9 $-3/5 \Delta_o$

b. Discuss the general trends that exist for the magnitude of Δ_o Ligands affect Δ_o

* note spectrochemical series

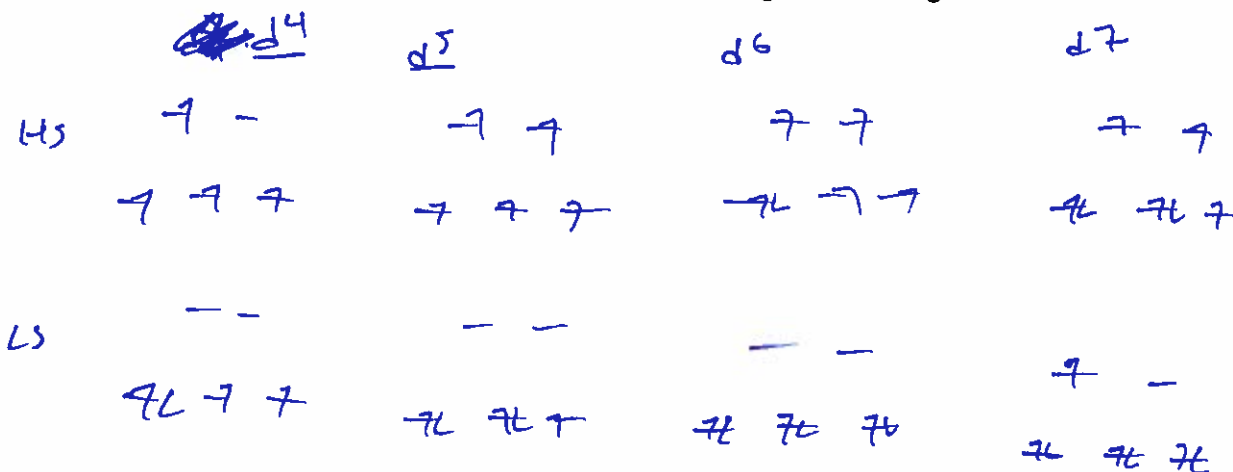
 \uparrow ox state of metal (divalent \rightarrow trivalent) increases Δ_o 2nd & 3rd row transition metals typically have larger Δ_o

4. High Spin / Low Spin

a. Is there a trend between the pairing energy relative to the CFSE and the preferred configuration?

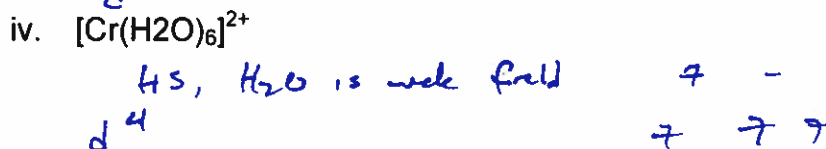
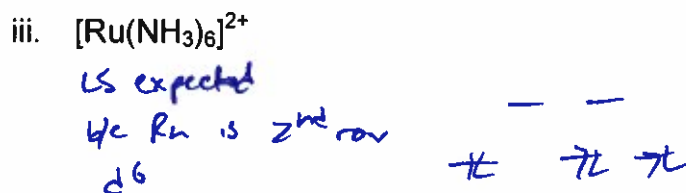
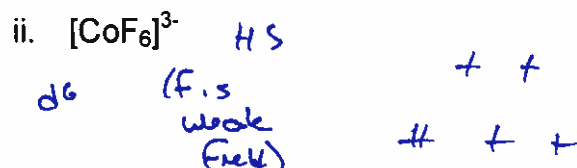
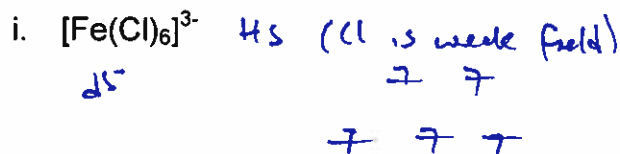
 $P_E > \Delta_o$ for high spin $\Delta_o > P_E$ for low spin

b. Which d electron counts are capable of giving rise to both low spin and high spin configurations? Show using orbital diagrams.



→ spectrochemical series

- c. Predict, based on your knowledge of strong/weak field ligands, whether the following compounds will exist as high spin or low spin. Draw the orbital splitting diagram and show the electrons for each complex.



5. The complex $[\text{NiCl}_4]^{2-}$ is paramagnetic with two unpaired electrons whereas the compound $[\text{Ni}(\text{CN})_4]^{2-}$ is diamagnetic. Deduce the geometries of the two compounds and explain the observations in terms of ligand field theory.

- either tetrahedral or square planar

- Ni (II) is d^8

of T_d

& square planar

↑
paramagnetic

therefore,
 $[\text{NiCl}_4]^{2-}$

—

↑
diamagnetic
∴ $[\text{Ni}(\text{CN})_4]^{2-}$

6. Term Symbols

a. Determine the ground state term symbol for each.

i. Cr^{3+} free ion ~~d^3~~ d^3 

$$\text{max } L = 3 \rightarrow F$$

$$\begin{aligned} \text{spin multiplicity } 2S+1 \\ &= 2(1.5)+1 \\ &= 3+1 \\ &= 4 \end{aligned}$$

$$\therefore ({}^4F)$$

ii. d^0 configuration

$$\text{Max } L = 0 \rightarrow S$$

$$\begin{aligned} \text{spin multiplicity } 2S+1 \\ &= 2(0)+1 \\ &= 1 \end{aligned}$$

$$\therefore ({}^1S)$$

iii. Fe^{3+} free ion d^5 

$$\text{max } L = 0 \rightarrow S$$

$$\begin{aligned} \text{spin multiplicity } 2S+1 \\ &= 2(2.5)+1 \\ &= 5+1 \\ &= 6 \end{aligned}$$

$$\therefore ({}^6S)$$